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# System Modeling & Control

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# Module VII

## Controllers



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# Controllers

## Introduction

Suppose you have a system that needs to be controlled

Your software gives commands, the system responds to it

Turn  $x$  degrees to the right

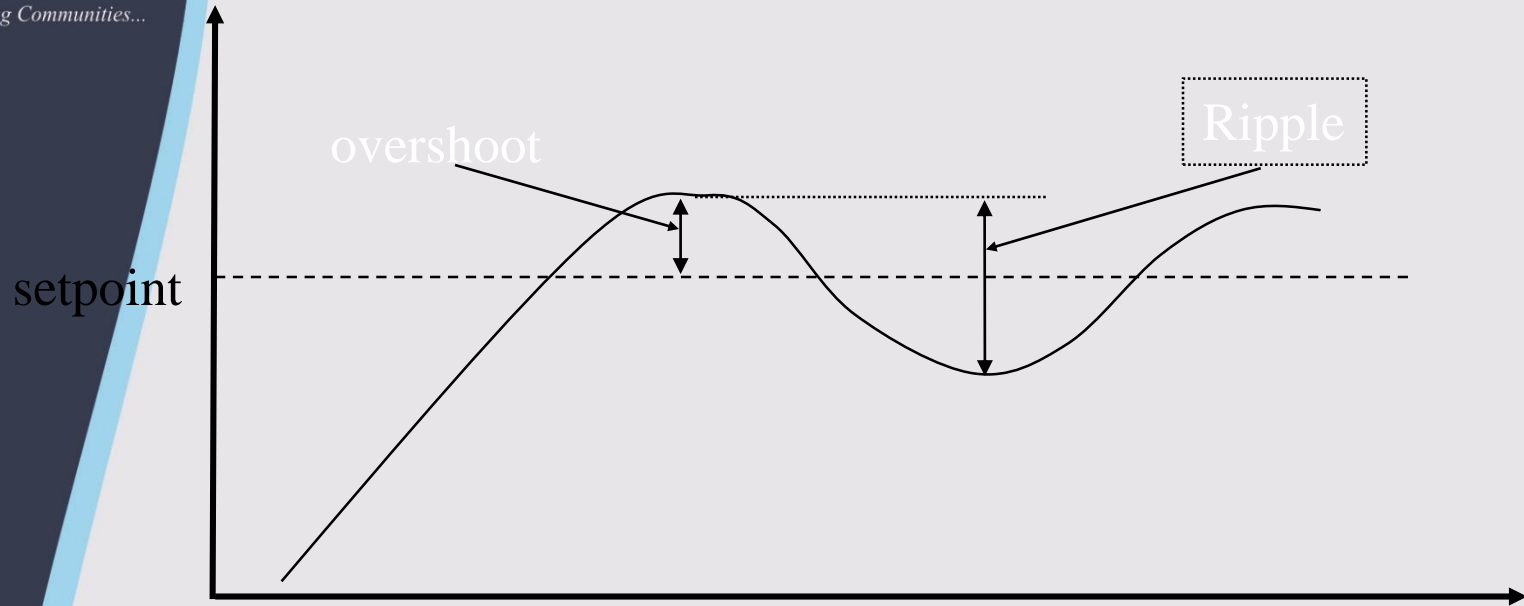
Move forward 15 wheel rotations

Can you always trust your commands will be executed accurately?



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# Problem example



Increase the quantity until you get to the setpoint

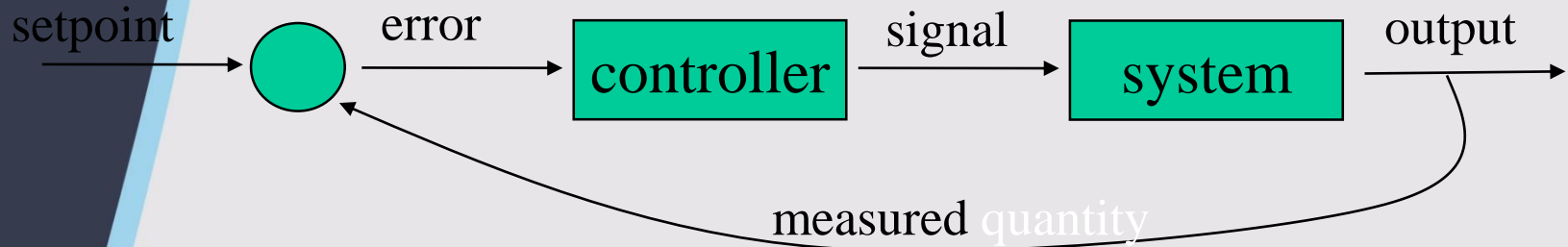
Temperature, angle, speed, etc

If too much, reduce the quantity, until the setpoint



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# Closed loop controller



- closed loop because it has feedback
- output is measured at a certain frequency
- signal is generated at a certain frequency
- which frequency is not smaller?

# On-off control

For some systems, on-off signaling is sufficient

For example, a thermostat, when the heater is either on or off, and early cruise-control systems

Could do airflow or speed control also

More modern systems do it

Depending on the frequency of control, overhead of on-off, etc, this could cause overshoots and undershoots (ripples)

Oscillation is a common behavior in control systems

Need to avoid it at all costs... well, almost all costs

# Proportional control

Good alternative to on-off control: more “control” 😊

Signal becomes proportional to the error

$$P ( \textit{setpoint} - \textit{output} )$$

Example, car speed for cruise control

Need to find out value of constant P

Tuning the controller is a **hard** job

If P is too high, what happens?

If P is too low, what happens?

Typically a prop cntrl decreases response time  
(quickly gets to the setpoint) but increases  
overshoot

# Adding derivative control

To avoid (or reduce) overshoot/ripple, take into account how fast are you approaching the setpoint

If very fast, overshoot may be forthcoming: reduce the signal recommended by the proportional controller

If very slow, may never get to setpoint: increase the signal

In general:  $D$  ( *current measure* – *previous measure* )

PD controllers are slower than P, but less oscillation, **smaller** overshoot/ripple



# Integral control

There may still be error in the PD controller

For example, the output is close to setpoint

P is very small and so is the error, discretization of signal will provide no change in the P controller

D controller will not change signal, unless there is change in output

Take the sum of the errors over time, even if they're small, they'll eventually add up

$I * \text{sum\_over\_time} (\text{setpoint} - \text{output})$

Again the main problem is the value of I

Can we let sum grow to infinity?

# Summary

Different types of controllers

PID hardest task is tuning

Controller	Response time	Overshoot	Error
On-off	Smallest	Highest	Large
Proportional	Small	Large	Small
Integral	Decreases	Increases	Zero
Derivative	Increases	Decreases	Small change

# Tips for Designing a PID Controller

1. Obtain an open-loop response and determine what needs to be improved
2. Add a proportional control to improve the rise time
3. Add a derivative control to improve the overshoot
4. Add an integral control to eliminate the steady-state error
5. Adjust each of  $K_p$ ,  $K_i$ , and  $K_d$  until you obtain a desired overall response.

Lastly, please keep in mind that you do not need to implement all three controllers (proportional, derivative, and integral) into a single system, if not necessary. For example, if a PI controller gives a good enough response (like the above example), then you don't need to implement derivative controller to the system. Keep the controller as simple as possible.