## Fisher's Least Significant Difference Test

- To test which population means are significantly different
  - e.g.:  $\mu_1 = \mu_2 \neq \mu_3$
  - Done after rejection of equal means in randomized block ANOVA design
- Allows pair-wise comparisons
  - Compare absolute mean differences with critical range

$$\mu_1 = \mu_2$$

 $\mu_3$ 

## Fisher's Least Significant Difference (LSD) Test

$$LSD = t_{\alpha/2} \sqrt{MSW} \sqrt{\frac{2}{b}}$$

## where:

 $t_{\alpha/2}$  = Upper-tailed value from Student's t-distribution for  $\alpha/2$  and (k-1)(n-1) degrees of freedom

MSW = Mean square within from ANOVA table

b = number of blocks

k = number of levels of the main factor

## Fisher's Least Significant Difference (LSD) Test

$$LSD = t_{\alpha/2} \sqrt{MSW} \sqrt{\frac{2}{b}}$$

Is 
$$\left| \overline{\mathbf{x}}_{i} - \overline{\mathbf{x}}_{j} \right| > LSD$$
?

If the absolute mean difference is greater than LSD then there is a significant difference between that pair of means at the chosen level of significance.

$$\left|\overline{\mathbf{x}}_{1}-\overline{\mathbf{x}}_{2}\right|$$

$$|\overline{\mathbf{x}}_1 - \overline{\mathbf{x}}_3|$$

$$\left|\overline{\mathbf{x}}_{2}-\overline{\mathbf{x}}_{3}\right|$$

etc...